# Risk-Based Evaluation of Existing Highway Bridges: Past, Present and Future

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Aging Bridge Inventory, Increasing Loads



#### Criteria Unchanged Since 1990



#### **Presentation Objectives**

- Existing Bridge Evaluation – Constant Risk Basis
- New Directions
   Quantify Warning



#### **Factors that Provide Warning**

- System Behaviour
  - S1 (Single Load Path), toS3 (Multiple Load Path)
- Element Behaviour
  - E1 (Brittle), to
  - E3 (Ductile)
- Inspection Classification
  - INSP1 (Uninspectable), to
  - INSP 3 (Evaluator inspects deficient members)

# Impact: Concrete Arch Bridge

#### Consider

- Top Chord
- Floor Beam



Umpqua River Bridge, Reedsport, Oregon

# Top Chord (Compression)

- System: S1

   single load path
- Element Behav.: E1
   Brittle
- Inspection: INSP2
   Routine
- Target β: 3.75



### Floor Beam (Flexure)

- System: S2
   Not SLP
- Element Behav.: E3 – Ductile
- Inspection: INSP2
   Routine
- Target β: 3.00



#### **Impact on Rating**

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	Chord	Beam
Target β	3.75	3.00
Concrete DL	<b>1.2</b> x 500	1.14 x 50
Asphalt DL	1.5 x 50	1.35 x 5
LL (incl DLA)	<b>1.7</b> x 600	1.49 x 60
Factored Deman	d 1695	153
Factored Capaci	ty 1550	155
Result in	sufficient	ok

#### **Economic Impact**

- Short span elements including bridge floor systems susceptible to increased traffic loads.
- These elements tend to be ductile, readily inspected, and part of a multiple load path.
- Less stringent β allows them to be deemed adequate.
- Marked economic savings achieved.

# Present: 2020 Design Truck?



#### **Future: Quantify Warning**

- 1. Deflection as a metric of warning
- 2. Computing deflection at imminent failure,  $\Delta_t$ :
  - Cross section response
  - Application of moment-area method
- 3. Computing warning factor, W, given  $\Delta_{t}/L$







#### **Shape Factor**

• Shape Factor f = M<sub>u</sub>/M<sub>y</sub>

$$f = (1 - \omega/2\alpha_1) / (1 - k/3)$$

where w, the mechanical reinforcing ratio, =  $A_s f_v / (b d f'_c)$ 

• Typically 1.01 < f <1.05 for  $\omega$  < 0.3













#### **Express** $\Delta_t$ as $\Delta_t/L$

- Common practical measure
- Can show  $\Delta_{t/L} = \alpha \Delta_{t/}(\phi_y L^2)$

where 
$$\alpha = \frac{\varepsilon_y}{(1-k)} \left(\frac{h}{d}\right) \frac{L}{h}$$

say (h/d) ~ 1/0.85 for a thin slab to  $\sim$  1/0.95 for a deep beam

# (L/h) from Deflection Control Limits

 ACI 318 & A23.3 provide maximum L/h limits that, if satisfied, do not require deflections to be checked.

Beam end	Span-to-depth ratio, L/h		Avg.
restraints	1-way Slab	Beam	α
Simple support	20	16	0.054
Cantilever	10	8	0.027
Fixed ends	28	21	0.073







#### Conclusions

- 1. Constant risk criteria in CHBDC require more safety for members with severe consequences of failure.
- 2. Bridge members that are sensitive to higher modern traffic loadings get a break.
- 3. Significant economies are achieved.

- 4. Deflection at imminent failure captures warning of failure.
- 5. Increased deflections for: – Ductile cross sections
  - Long plastic hinge lengths (load configurations matter!)
- 6. Redundancy is an inconsistent indicator of warning of failure.
- 7. Can rationally quantify warning factor as a continuous variable.

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